

# COMP 122/L Lecture 1

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# About Me

- I research automated testing techniques and their intersection with CS education
- This is my first semester at CSUN
- Third time teaching this content

# About this Class

- See something wrong? Want something improved? Email me about it!  
([kyle.dewey@csun.edu](mailto:kyle.dewey@csun.edu))
- I generally operate based on feedback

# Bad Feedback

- This guy sucks.
- This class is boring.
- This material is useless.

# Good Feedback

- This guy sucks, *I can't read his writing.*
- This class is boring, *it's way too slow.*
- This material is useless, *I don't see how it relates to anything in reality.*
- I can't fix anything if I don't know what's wrong

# Class Motivation

```
public static void  
main(String[] args) {  
    ...  
}
```

```
public static void  
main(String[] args) {  
    ...  
}
```





```
public static void  
main(String[] args) {  
    ...  
}
```



3.14956

```
public static void  
main(String[] args) {  
    ...  
}
```



3.14956

```
public static void  
main(String[] args) {
```

```
    . . .
```

```
}
```

More Efficient  
Algorithms



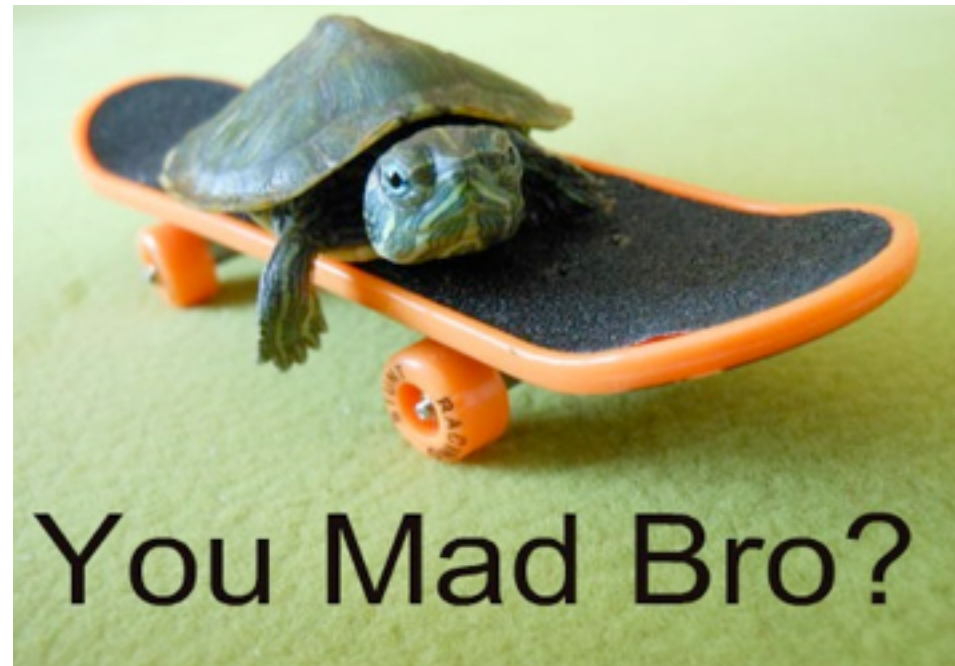
3.14956

```
public static void  
main(String[] args) {
```

```
    ...
```

```
}
```

More Efficient  
Algorithms



3.14956

**Why are things still  
slow?**

The magic box isn't so  
magic

# Array Access

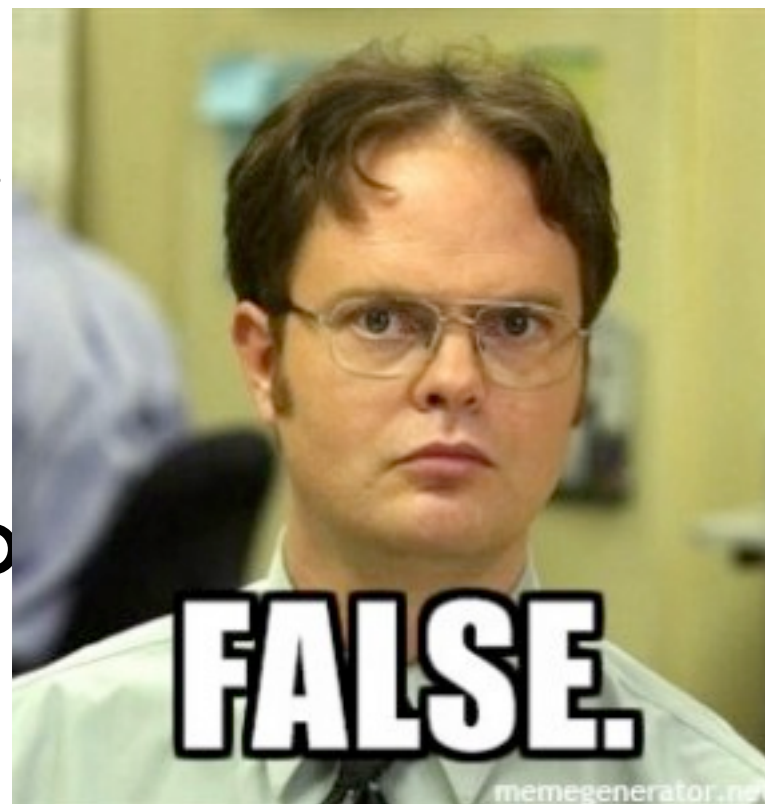
`arr[x]`

- Constant time! ( $O(1)$ )
- Where the **random** in random access memory comes from!

# Array Access

`arr[x]`

- Constant time
- Where the memory is accessed is random access





# Array Access

- Memory is loaded as chunks into *caches*
  - Cache access is much faster (e.g., 10x)
  - Iterating through an array is fast
  - Jumping around any which way is slow
- Can make code *exponentially* faster

# Instruction Ordering

```
int x = a + b;  
int y = c * d;  
int z = e - f;
```

```
int z = e - f;  
int y = c * d;  
int x = a + b;
```

# Instruction Ordering

```
int x = a + b;  
int y = c * d;  
int z = e - f;
```

**3 Milliseconds?**

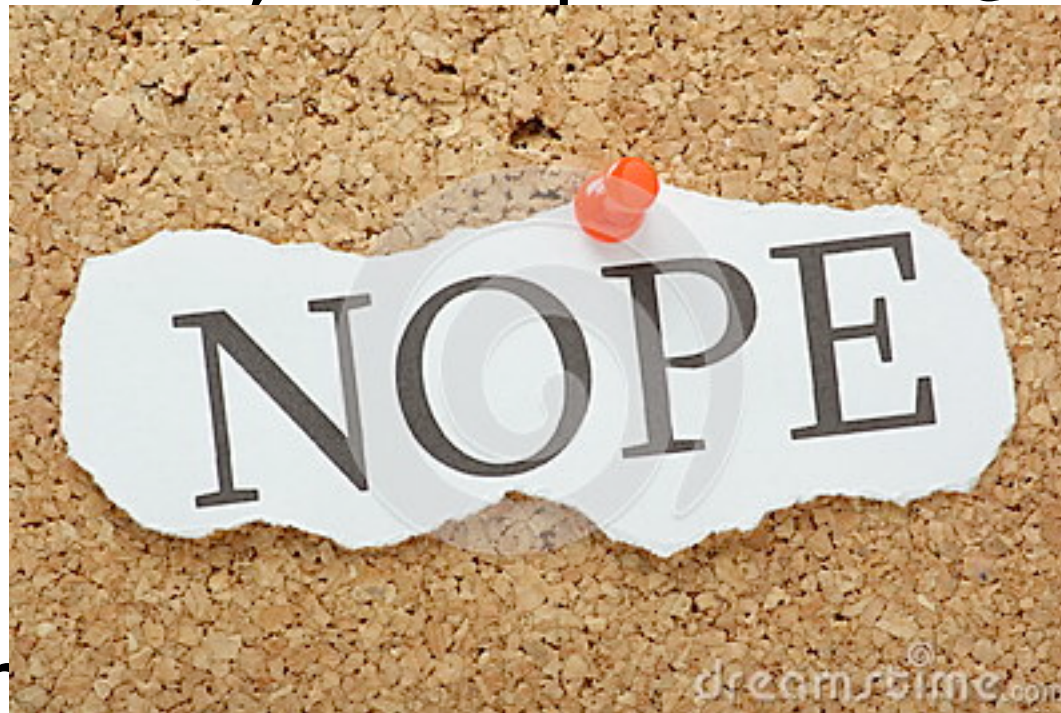
```
int z = e - f;  
int y = c * d;  
int x = a + b;
```

**3 Milliseconds?**

# Instruction Ordering

```
int x = a + b;  
int y = c * d;  
int z = e
```

```
int z = e - f;  
int y = c * d;  
x = a + b;
```



3 Milliseconds

Milliseconds?

# Instruction Ordering

- Modern processors are *pipelined*, and can execute sub-portions of instructions in parallel
  - Depends on when instructions are encountered
- Some can execute whole instructions in different orders
- If your processor is from Intel, it is insane.

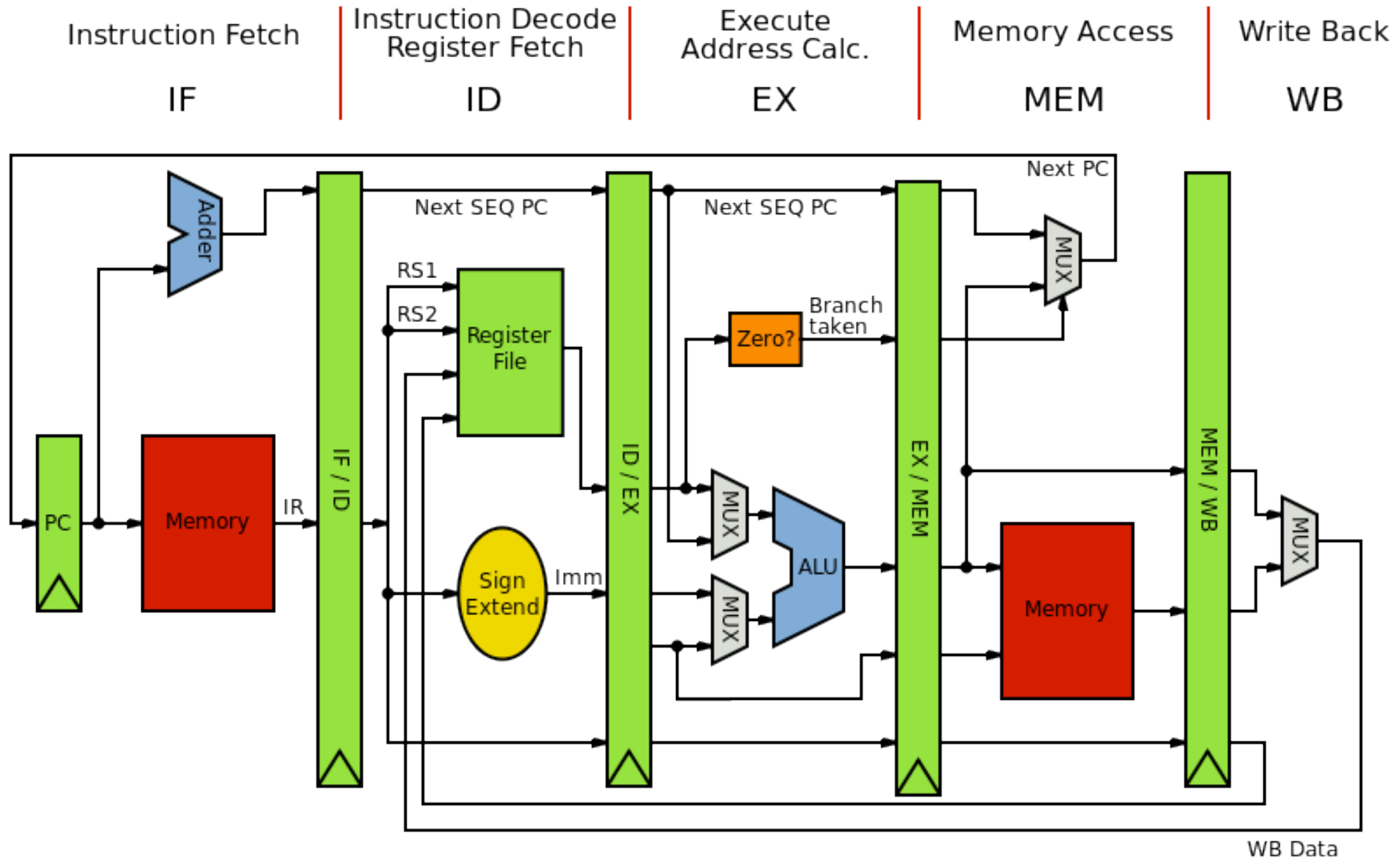
# The Point

- If you really want performance, you need to know how the magic works
  - “But it scales!” - empirically, probably not
  - Chrome is fast for a reason
- If you want to write a naive compiler, you need to know some low-level details
- If you want to write a *fast* compiler, you need to know *tons* of low-level details

# So Why Circuits?



# So Why Circuits?





# So Why Circuits?

- Basically, circuits are the programming language of hardware
  - Yes, everything goes back to physics

# Overall Course Structure

# Syllabus

# Working with Different Bases

# What's In a Number?

- Question: why exactly does 123 have the value 123? As in, what does it *mean*?

# What's In a Number?

123

# What's In a Number?

1

2

3

# What's In a Number?

1

Hundreds

2

Tens

3

Ones



# What's In a Number?

1

Hundreds

100

2

Tens

10

10

3

Ones

1

1

1

# Question

- Why did we go to tens? Hundreds?

1

Hundreds

100

2

Tens

10

10

3

Ones

1

1

1

# Answer

- Because we are in decimal (base 10)

1

Hundreds

100

2

Tens

10

10

3

Ones

1

1

1

# Another View

123

# Another View

1

2

3

# Another View

1

$$1 \times 10^2$$

2

$$2 \times 10^1$$

3

$$3 \times 10^0$$

# Conversion from Some Base to Decimal

- Involves repeated division by the value of the base
  - From right to left: list the remainders
  - Continue until 0 is reached
  - Final value is result of reading remainders from bottom to top
- For example: what is 231 decimal to decimal?

# Conversion from Some Base to Decimal

231



# Conversion from Some Base to Decimal

	Remainder
$10 \overline{) 231}$ 23	1

# Conversion from Some Base to Decimal

	Remainder
$10 \overline{) 231}$	
$10 \overline{) 23}$	1
2	3

# Conversion from Some Base to Decimal

	Remainder
$10 \overline{) 231}$	
$10 \overline{) 23}$	1
$10 \overline{) 2}$	3
0	2

# Now for Binary

- Binary is base 2
- Useful because circuits are either on or off, representable as two states, 0 and 1

# Now for Binary

1010

# Now for Binary

1

0

1

0

# Now for Binary

1

0

1

0

Eights

Fours

Twos

Ones

# Now for Binary

1

0

1

0

Eights

Fours

Twos

Ones

$1 \times 2^3$

$0 \times 2^2$

$1 \times 2^1$

$0 \times 2^0$

8

0

2

0



# Question

- What is binary 0101 as a decimal number?

# Answer

- What is binary 0101 as a decimal number?
- 5

0

1

0

1

Eights

$0 \times 2^3$

Fours

$1 \times 2^2$

Twos

$0 \times 2^1$

Ones

$1 \times 2^0$

0

4

0

1

# From Decimal to Binary

- What is decimal 57 to binary?

# From Decimal to Binary

57

# From Decimal to Binary

	Remainder
$\begin{array}{r} 2 \overline{) 57} \\ 28 \end{array}$	1

# From Decimal to Binary

$$\begin{array}{r} 2 \overline{) 57} \\ 2 \overline{) 28} \\ 14 \end{array}$$

Remainder

1  
0

# From Decimal to Binary

$$\begin{array}{r} 2 \overline{) 57} \\ 2 \overline{) 28} \\ 2 \overline{) 14} \\ 7 \end{array}$$

Remainder

1  
0  
0

# From Decimal to Binary

$$\begin{array}{r} 2 \overline{) 57} \\ 2 \overline{) 28} \\ 2 \overline{) 14} \\ 2 \overline{) 7} \\ 3 \end{array}$$

Remainder

1  
0  
0  
1



# From Decimal to Binary

	Remainder
2   57	
2   28	1
2   14	0
2   7	0
2   3	1
1	1

# From Decimal to Binary

	Remainder
2 $\overline{) 57}$	
2 $\overline{) 28}$	1
2 $\overline{) 14}$	0
2 $\overline{) 7}$	0
2 $\overline{) 3}$	1
2 $\overline{) 1}$	1
0	1

# Hexadecimal

- Base 16
- Binary is horribly inconvenient to write out
- Easier to convert between hexadecimal (which is more convenient) and binary
  - Each hexadecimal digit maps to four binary digits
  - Can just memorize a table

# Hexadecimal

- Digits 0-9, along with A (10), B (11), C (12), D (13), E (14), F (15)

# Hexadecimal Example

- What is 1AF hexadecimal in decimal?

# Hexadecimal Example

I

A

F

# Hexadecimal Example

I

Two-fifty-sixes

A

Sixteens

F

Ones

# Hexadecimal Example

I

Two-fifty-sixes

$$1 \times 16^2$$

A

Sixteens

$$10 \times 16^1$$

F

Ones

$$15 \times 16^0$$



# Hexadecimal Example

I

Two-fifty-sixes

$$1 \times 16^2$$

256

A

Sixteens

$$10 \times 16^1$$

16 16 16 16 16

16 16 16 16 16

(160)

F

Ones

$$15 \times 16^0$$

1 1 1 1 1

1 1 1 1 1

1 1 1 1 1

(15)

# Hexadecimal to Binary

- Previous techniques all work, using decimal as an intermediate
- The faster way: memorize a table (which can be easily reconstructed)

# Hexadecimal to Binary

Hexadecimal	Binary
0	0000
1	0001
2	0010
3	0011
4	0100
5	0101
6	0110
7	0111

Hexadecimal	Binary
8	1000
9	1001
A (10)	1010
B (11)	1011
C (12)	1100
D (13)	1101
E (14)	1110
F (15)	1111