Language Fuzzing Using Constraint Logic Programming

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Language Fuzzing

- Automatic program generation technique for testing compilers and interpreters
- Can be used to build confidence in a whole implementation or in parts of an implementation

First take a grammar...

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...then annotate with probabilities associated with the likelihood of generating a particular production

$$e \in ArithExp ::= n \in \mathbb{N}^{0.6} | e_1 + e_2^{0.4}$$

Example Derivation $e \in ArithExp ::= n \in \mathbb{N}^{0.6} | e_1 + e_2^{0.4}$







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Stochastic Weaknesses

- Difficult to focus in programs that do specific things (e.g., expressions that evaluate to 7)
- Probabilities only allow for very coarsegrained configuration
- Hard to increase confidence in specific implementation components

Enter Constraint Logic Programming (CLP)

- Allows for the specification of relational and arithmetic constraints on symbolic variables
- Can easily encode grammars
- Can specify generators focusing in on both syntactic and semantic program properties
- Generalizes stochastic grammars

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-2 3 arithExp(num(N)) : INTMIN #=< N,
 N #=< INTMAX.</pre>

 $e \in ArithExp ::= n \in \mathbb{N} \mid e_1 + e_2$

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A arithExp(add(E1, E2)) :arithExp(E1),
arithExp(E2).</pre>

Making it Stochastic $e \in ArithExp ::= n \in \mathbb{N}^{0.6} | e_1 + e_2^{0.4}$

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Making it Stochastic $e \in ArithExp ::= n \in \mathbb{N}^{0.6} | e_1 + e_2^{0.6}$

arithExp(num(N)) :-2 maybe(0.6), 3 INTMIN # = < N, 4 N # = < INTMAX. arithExp(add(E1, E2)) :-5 arithExp(E1), 6 arithExp(E2). 7

Generation

With the query:

:- arithExp(E), writeln(E), fail.

... E is nondeterministically bound to all productions of the grammar.

Generalization: Expressions that Evaluate to 7

eval(num(N), N).
eval(add(E1, E2), N) :eval(E1, N1),
eval(E2, N2),
N #= N1 + N2.

% same arithExp from before evalsTo7(E) :arithExp(E), eval(E, 7).

Application

- Applied to generating JavaScript programs
- Four generators developed that make four different kinds of programs:
 - js-err: Programs that avoid runtime type errors
 - js-overflow: Programs that overflow
 - js-inher: Programs that use prototype-based inheritance
 - js-withclo: Programs that intermix
 JavaScript's with and closures in specific ways

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Evaluation

- Interested in measuring the rate at which these generators can generate programs
 of interest relative to stochastic techniques
- Hypothesis: these custom generators can generate interesting programs at a much faster rate than stochastic techniques

Results

	In programs per second		
Generator	Stochastic- based	CLP-based	CLP / Stochastic
js-err	9,880	37,759	3.8
js-overflow	123	958	7.8
js-inher	0	126,194	∞
js-withclo	0.04	125,901	3,147,525

See Paper for Details...

- Alternate search strategies
- Different type systems
- Embedded CLP DSLs for fuzzing
- Total and unique stochastic programs generated

Conclusions

- Stochastic grammars generally cannot focus in on the generation of specific programs
- Our CLP-based approach generalizes stochastic grammars, allowing for targeted generation