

Fuzzing the Rust Typechecker Using CLP

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Teaser

- We identify three kinds of bugs that typecheckers can exhibit
- We describe general techniques for automatically finding these kinds of bugs
- We apply these ideas to testing the Rust programming language, and find 14 developer-confirmed bugs

Outline

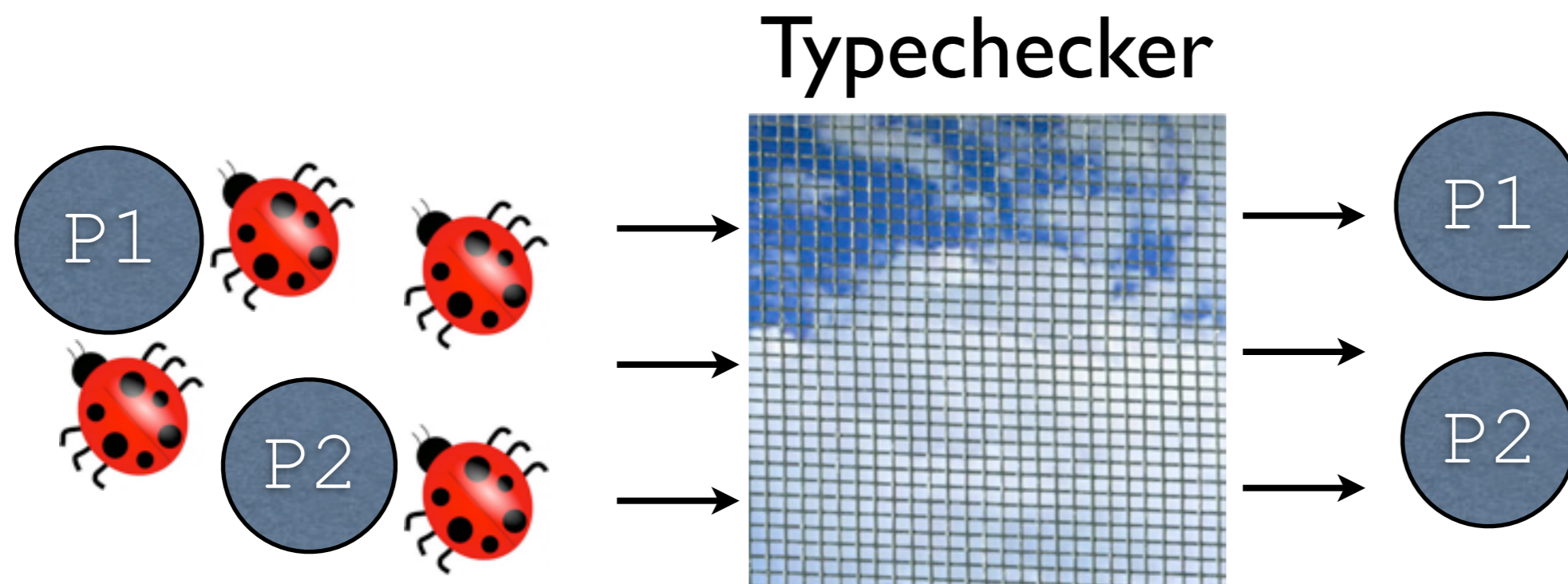
- Background and motivation
- Finding *precision* bugs
- Finding *soundness* bugs
- Finding *consistency* bugs
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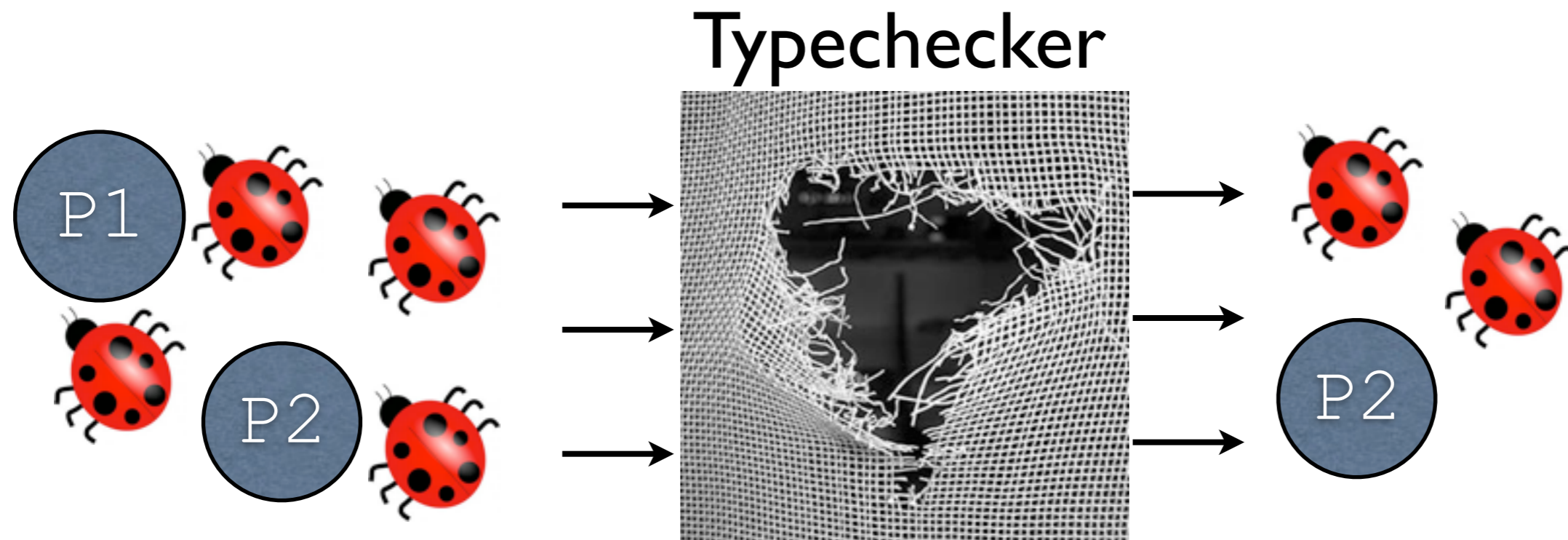
Motivation

- Typecheckers are crucial components in statically typed languages
 - Help ensure programs are correct
 - Defend against exploits



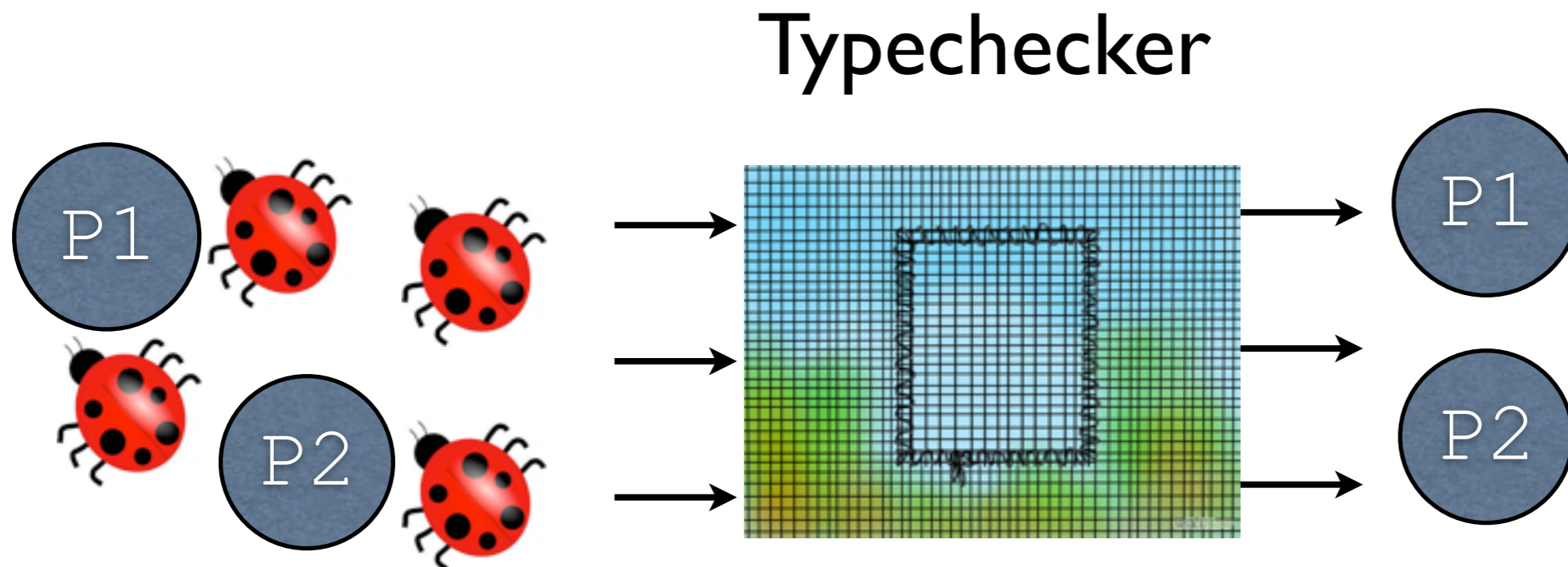
Motivation

- Problem: typecheckers can be buggy too
 - Fail to accept well-typed programs
 - Fail to reject ill-typed programs



Idea

- Use black-box *language fuzzing* techniques to automatically find these bugs, ideally before they become a problem



Existing Work

- Most existing work on language fuzzing fundamentally applies only to dynamically-typed languages (e.g., `jsfunfuzz`)
- Based on performing a random walk over the language's grammar, referred to as a *stochastic grammar*

Stochastic Grammars

$\oplus \in \textit{Binop} ::= + \mid \&\&$

$e \in \textit{Exp} ::= 1 \mid \text{true} \mid e_1 \oplus e_2$

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$$\begin{aligned} \oplus \in \textit{Binop} &::= +^{0.3} \mid \&\&^{0.7} \\ e \in \textit{Exp} &::= 1^{0.4} \mid \text{true}^{0.4} \mid e_1 \oplus e_2^{0.2} \end{aligned}$$

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$e = 1$

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$e = \boxed{\text{true}} _ _$

Stochastic Grammars

$$\begin{aligned} \oplus \in Binop & ::= + \quad | \quad \boxed{\&\&} \\ e \in Exp & ::= 1 \quad | \quad \text{true} \quad | \quad e_1 \oplus e_2 \end{aligned}$$

Probabilities: 0.3 for '+', 0.7 for '&&', 0.4 for '1', 0.4 for 'true', 0.2 for 'e1 ⊕ e2'.

$$e = \text{true} \quad \boxed{\&\&} \quad -$$

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Type Errors

```
e = 1 + true
```

- Dynamic setting - still a valid test!
- Static setting - tests if typechecker correctly rejects things. Except...
 - No ground truth
 - Most type errors are trivial
 - Most randomly generated programs contain lots of type errors, which can mask each other

Existing Solutions

- All existing solutions that address these concerns suffer from at least one of the following problems:
 - Some generated programs are “accidentally” ill-typed
 - Not all well-typed programs can be generated
 - Fundamentally cannot handle the entire type system
 - Highly specific to language being tested

Existing Solutions

- In all cases, the typechecker is an adversary to be overcome in order to test downstream components
- All implicitly assume the typechecker is correct

Our Approach

Our Approach

- We focus our testing efforts on finding three specific kinds of typechecker bugs:
 - Failure to accept a well-typed program
 - Failure to reject an ill-typed program
 - Inconsistent behavior on *type equivalent* programs
- We have devised general techniques for finding these three kinds of bugs

Viewpoint from Program Analysis (I)

- Failure to accept a well-typed program is a *precision* bug
- While annoying to the programmer, guarantees provided by the type system are preserved

Viewpoint from Program Analysis (2)

- Failure to reject an ill-typed program is a *soundness* bug
- Silent loss of guarantees provided by the type system
- Potentially devastating

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Finding Precision Bugs

- Intuition: generate guaranteed well-typed programs
- Any rejected programs indicate bugs

Generating Well-Typed Programs

- We use *constraint logic programming* (CLP) for this purpose
- Typing rules can be specified in CLP, and CLP engines can execute them “backwards” to generate programs which are well-typed

Well-Typed Generation

Example: System F

System F Highlights

- This is the simply-typed lambda calculus...
 - Higher-order functions
- ...with parametric polymorphism
 - Type variables
- Serves as a simple example
- Despite simplicity, both higher-order functions and type variables fundamentally cannot be handled by prior work

Grammar and Types

$\tau \in \textit{Type} ::= \alpha \mid \tau_1 \rightarrow \tau_2 \mid \forall \alpha. \tau$

$e \in \textit{Exp} ::= x \mid \lambda x : \tau. e \mid e_1 e_2 \mid \Lambda \alpha. e \mid e \tau$

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Typing Rules in CLP

$$\overline{\Gamma, x : \tau \vdash x : \tau}$$

Typing Rule
CLP Code

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typing(Gamma, var(X), T) :-  
    lookup(Gamma, X, T).
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```

From Typing Rules to a Generator

- We have implemented a typechecker here
- This can be trivially turned into a generator of well-typed terms, like so (where ?- indicates what to execute):

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?- typing([], E, T), write(E), fail.
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```

Take-Home Point

- This generator of well-typed terms can be used to find precision bugs in typecheckers
 - Since everything generated is well-typed, if anything is rejected, it indicates the typechecker under test is buggy under the particular input

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Finding Soundness Bugs

- Intuition: generate ill-typed programs
- If the typechecker accepts any of them, then we have discovered a bug
- Simple solution: generate syntactically valid programs, and filter out those that happen to be well-typed (which occur rarely)

Finding Soundness Bugs

- A purely syntactic approach results in fairly uninteresting tests
 - They do not exploit information about the underlying type system
 - Tend to be *obviously* ill-typed, so intuitively only the buggiest of typecheckers would let them through

Better Approach

- Generate *almost* well-typed programs, which are ill-typed, but in subtle ways
- Intuitively, one simply negates a single premise of a single typing rule, in a nondeterministic manner
- Based on developer feedback

Almost Well-Typed
Generation Example:
System F

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Typing Rule
CLP Code

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typing(Gamma, app(E1, E2), T2) :-  
  typing(Gamma, E1, arrow(T1, T2)),  
  typing(Gamma, E2, T3),  
  T3 \== T1.
```

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Why Another Type of Bug?

- Theoretically, soundness and precision covers the entire state space
- Finding all possible precision and soundness bugs requires a full-blown typechecker implemented in CLP
 - Lots of work
 - Depending on the language, ground truth may be unclear

Consistency Bugs

- Advantage: full ground truth is not necessary, only an understanding of what constitutes a *type equivalent* program
- This is generally much simpler
- If the typechecker behaves differently on *type equivalent* programs, it indicates a bug
 - Both should be either well-typed or ill-typed

Implementing Consistency Bug Finders

- Basic idea: write a syntax-based generator, using traditional fuzzing techniques
- Pass the output of this generator through a series of rewrite rules
- Ensure that both the input and the output to the rewrite rules behave the same

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Why Rust?

- A real language with a rapidly growing user base (over 3,300 packages available)
- A sophisticated type system with important guarantees (e.g., memory safety without GC)
- No formal semantics, or even an informal specification
 - Worked closely with Rust development team

Key Rust Type System Features

- Parametric polymorphism
- Generics
- Typeclasses
- Associated types
- Affine types
- Borrowing (reference types)

Testing Methodology

- Handling all of the language with one fuzzer is extremely difficult
- Simpler approach: develop a series of fuzzers which handle subsets of the language
 - Use different techniques for each fuzzer

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Results

- 18 bugs found across all categories
- 14 confirmed by developers
- Includes a specification-level bug, where a program was legally considered both ill-typed and well-typed
- This work preceded a massive overhaul of the typechecker and overall type system

Conclusions

- We identify three general kinds of typechecker bugs
- We describe automated techniques for finding each of these three kinds of bugs
- We apply these ideas to the Rust programming language, finding 14 confirmed bugs, all of which either have or are being addressed